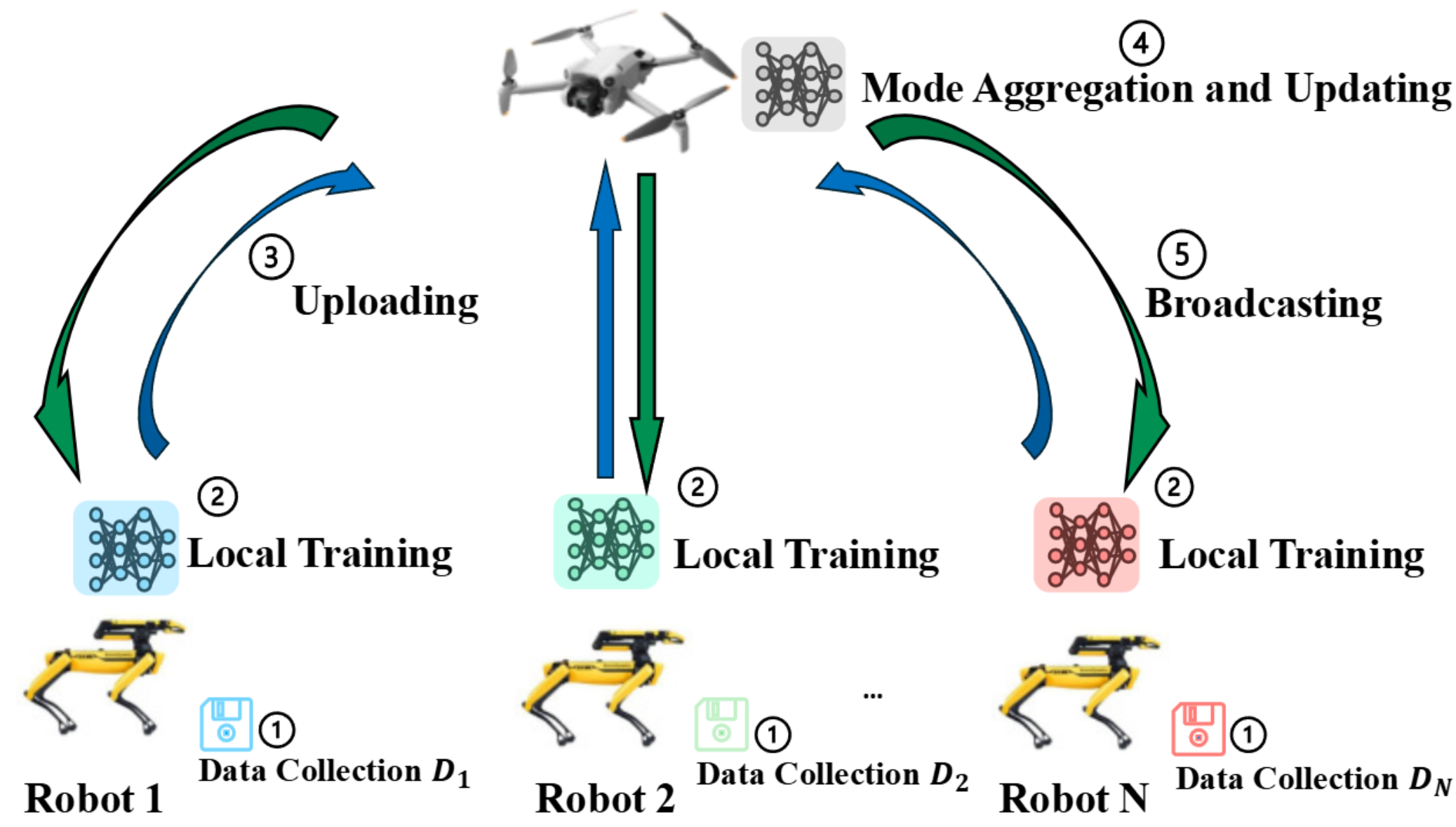


WOS: An Optimized Scheduling Scheme for Wireless Federated Learning

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Background

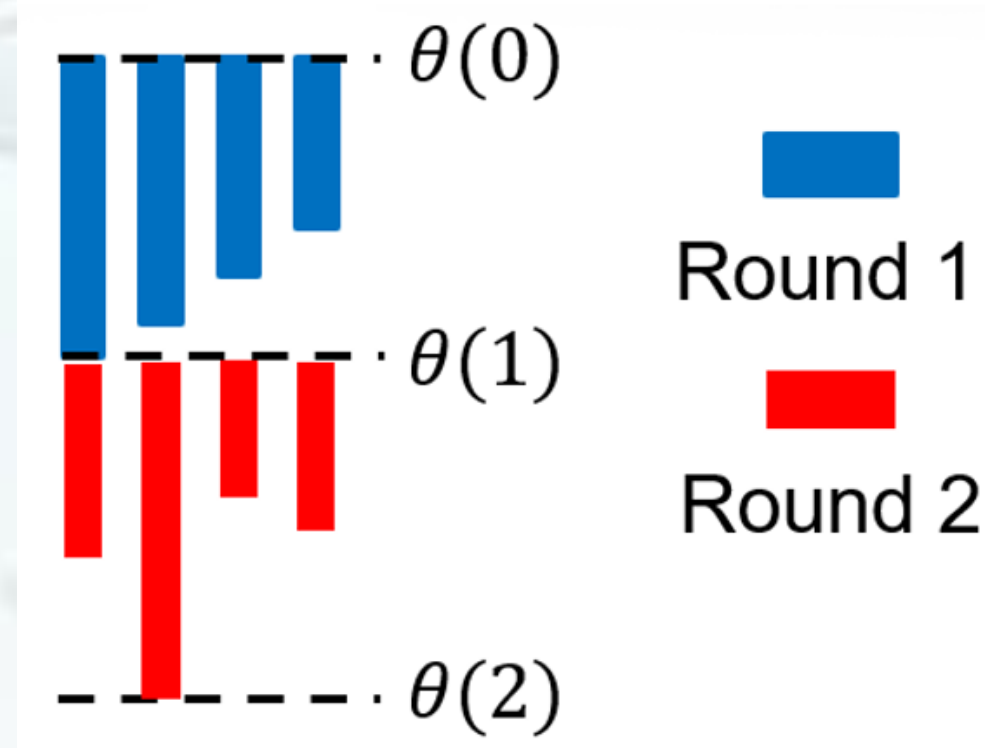


- Use Case
 - Area reconnaissance
 - Search and rescue
- Key Challenges
 - Bandwidth-constrained
 - Dynamic channels
 - Varying local computation time

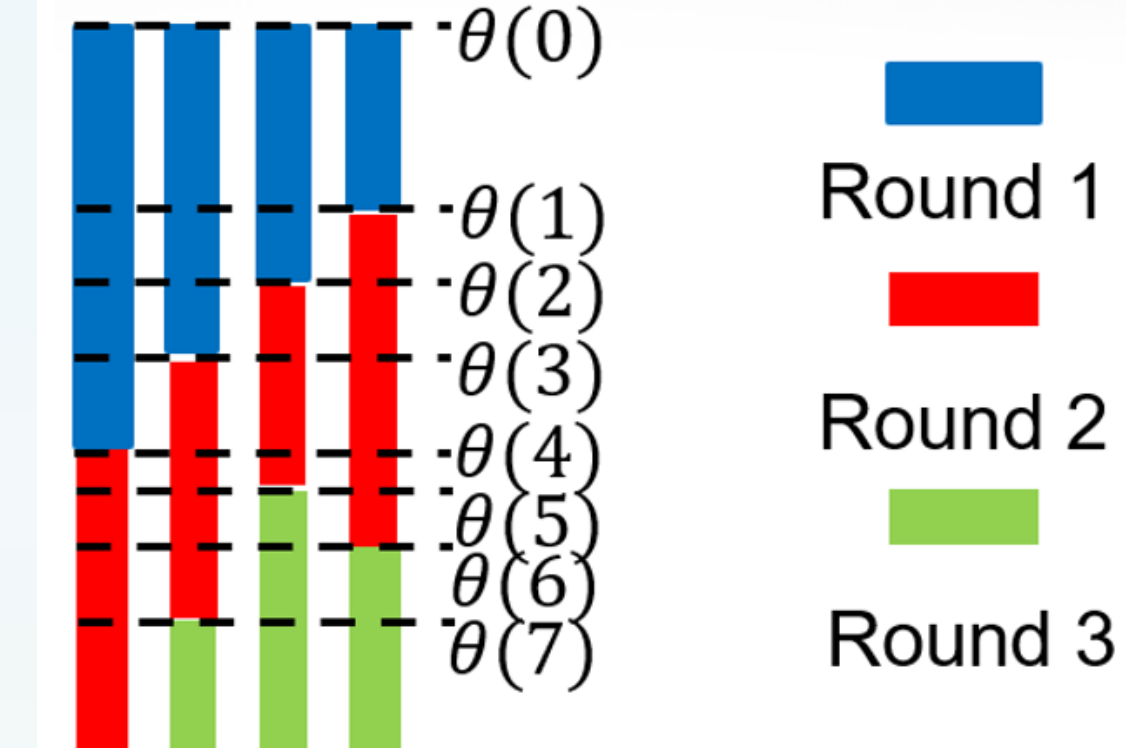


FL supports many distributed applications such as finance, healthcare, autonomous driving, by enabling collaborative model training without sharing local data.

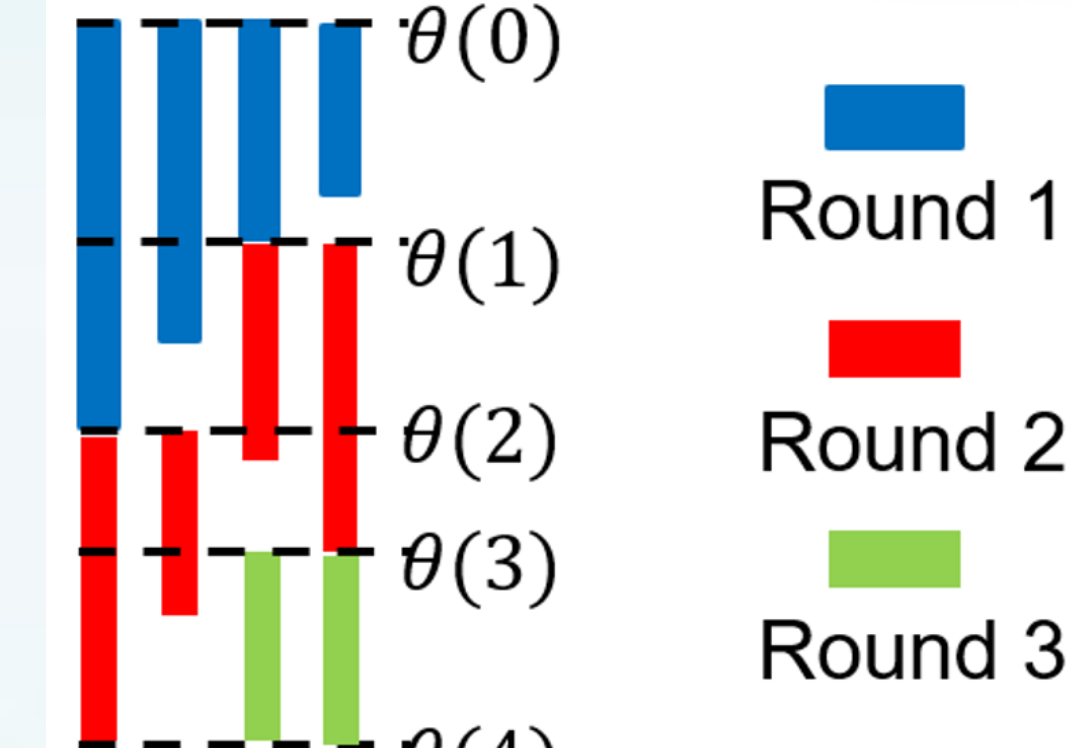
State-of-the-art



- “Wait-for-all” Strategy
 - Server must wait for all clients to finish training
 - Each client waits for the new global model to train its next model
- Pros
 - Incorporate all local models in aggregation
 - Clients always work with freshest global model
- Cons
 - Straggler effect (long wait)
 - Fewer learning rounds under given time
 - Single robot failure (wait forever)



- “Wait-for-one” Strategy
 - At server, upon receiving a local model, immediate update global model
 - Broadcast new global model immediately
 - At local client
 - Completes its local training AND uploads its local model
 - Then work with the latest version of global model for next round training
- Pros
 - No straggler effect
 - Offer most learning
- Cons
 - Wide disparity in model versions being trained by local robots (intractable contribution from local models)

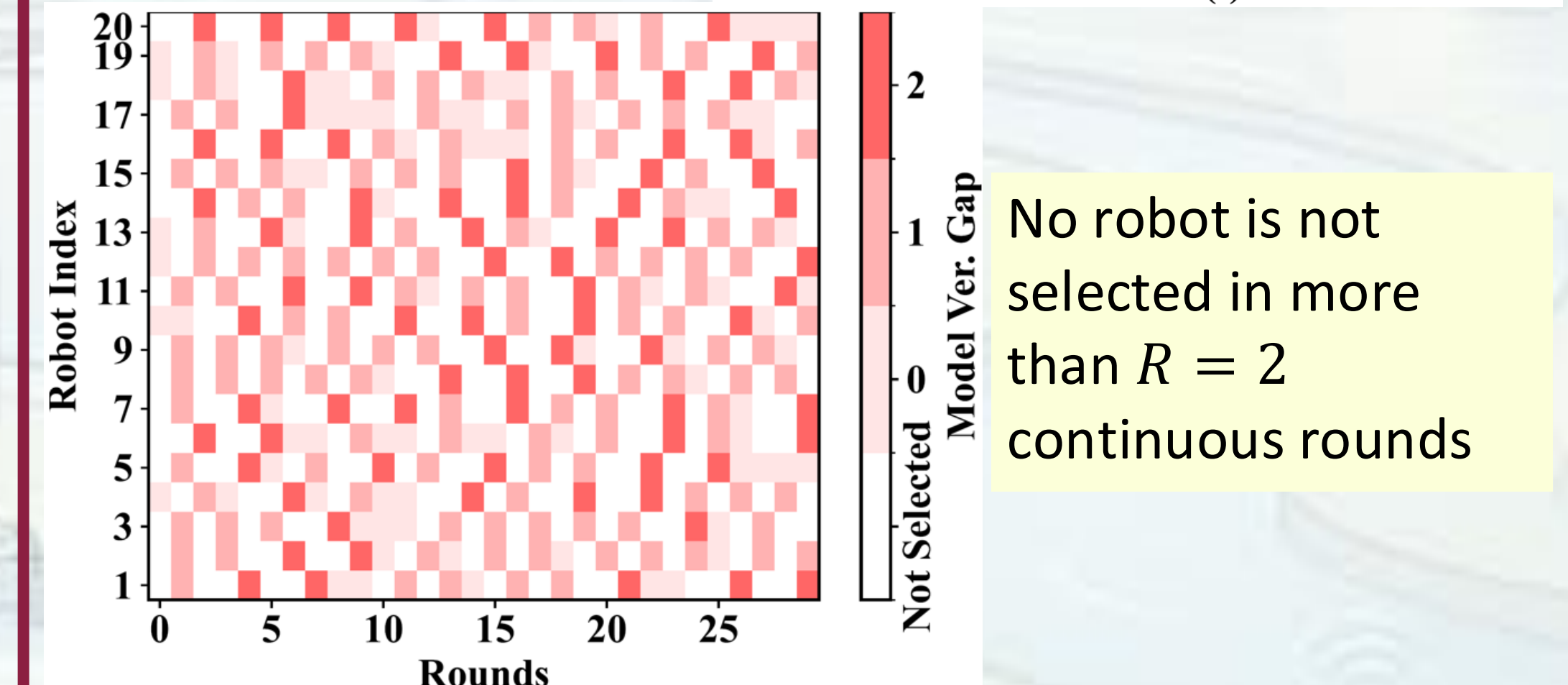
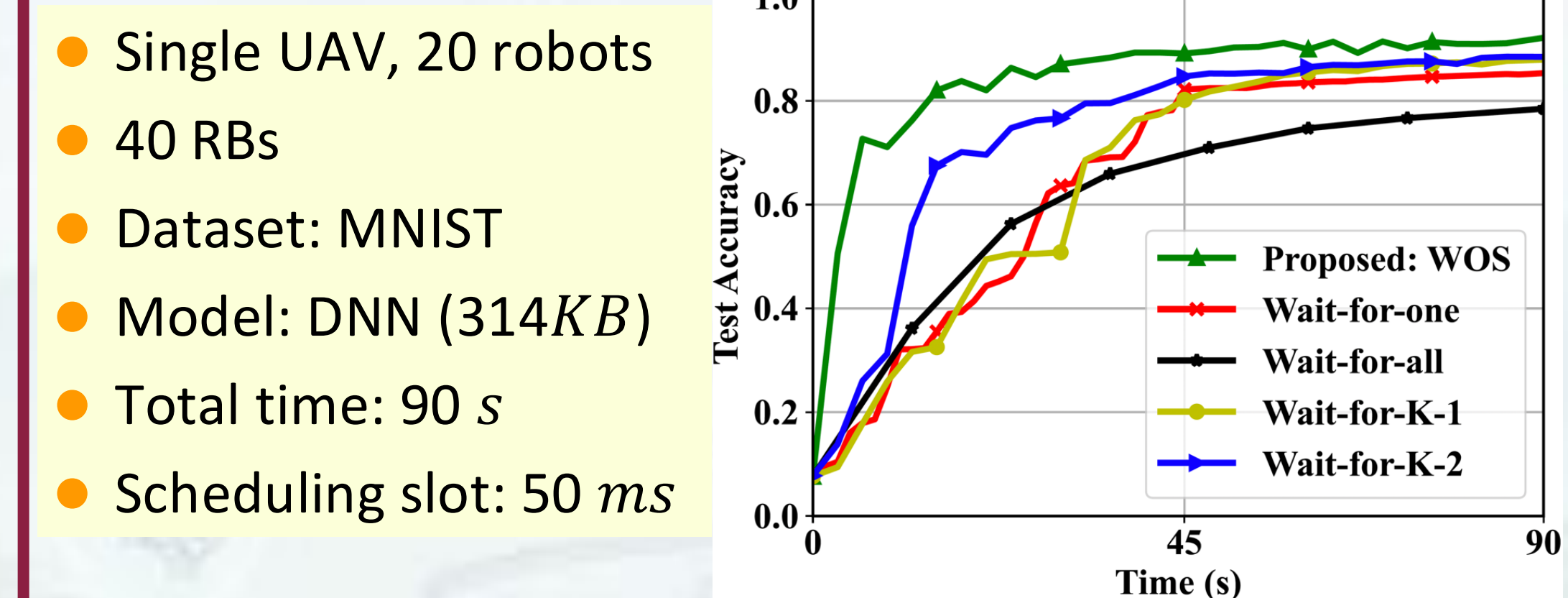


- “Wait-for-K” Strategy
 - A generalization for “Wait-for-all” and “Wait-for-one”
 - UAV waits to receive K local models for aggregation
 - “Wait-for-K” Case 1
 - Select K clients, prioritize to those not selected in the previous round
 - “Wait-for-K” Case 2
 - Select top-K robots with best channel states

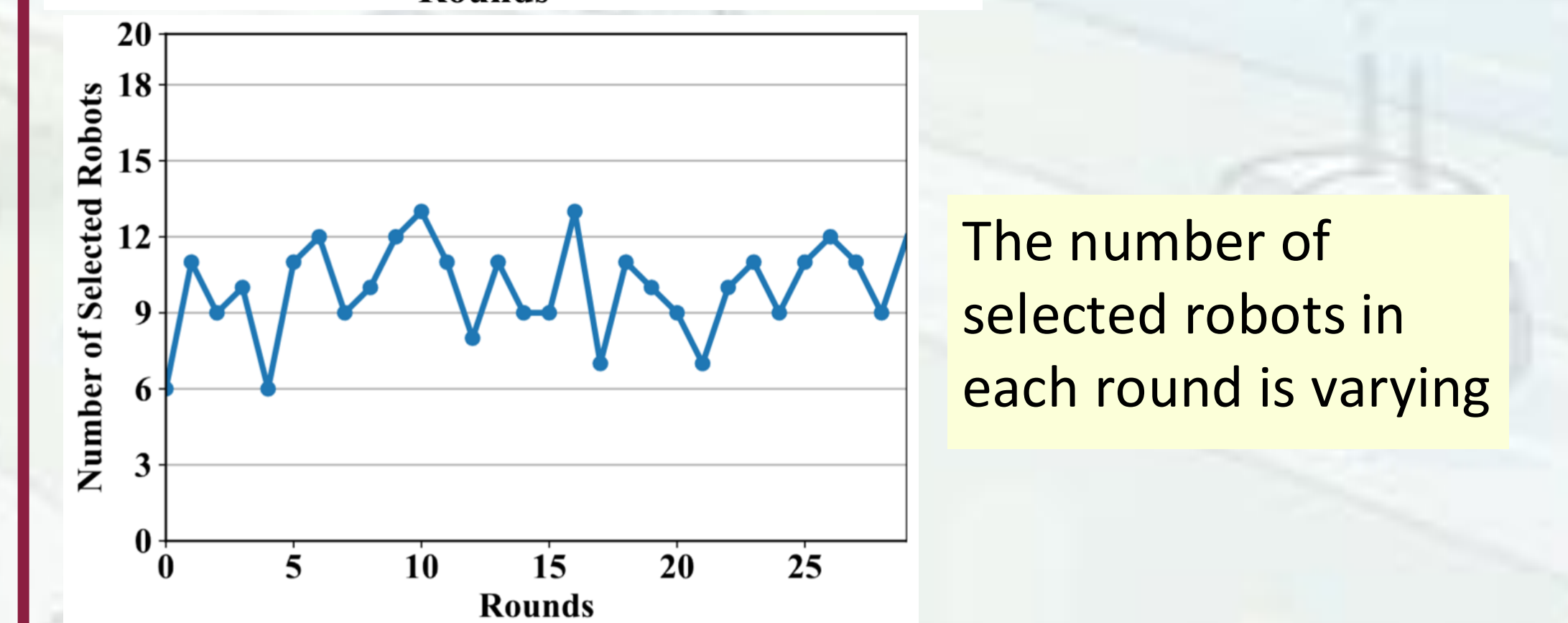
Open Questions

- None of given SOTA addresses the first question: How to set K?
- Observation: A fixed K is not plausible
 - Adaptive K
- Why is this question so challenging in wireless environment?
 - Ending time includes uploading time
 - Scheduling algorithm
 - Wireless channel condition

Results: Case Study



No robot is not selected in more than R = 2 continuous rounds



The number of selected robots in each round is varying

Proposed Approach: Wait-for-Optimal Set (WOS)

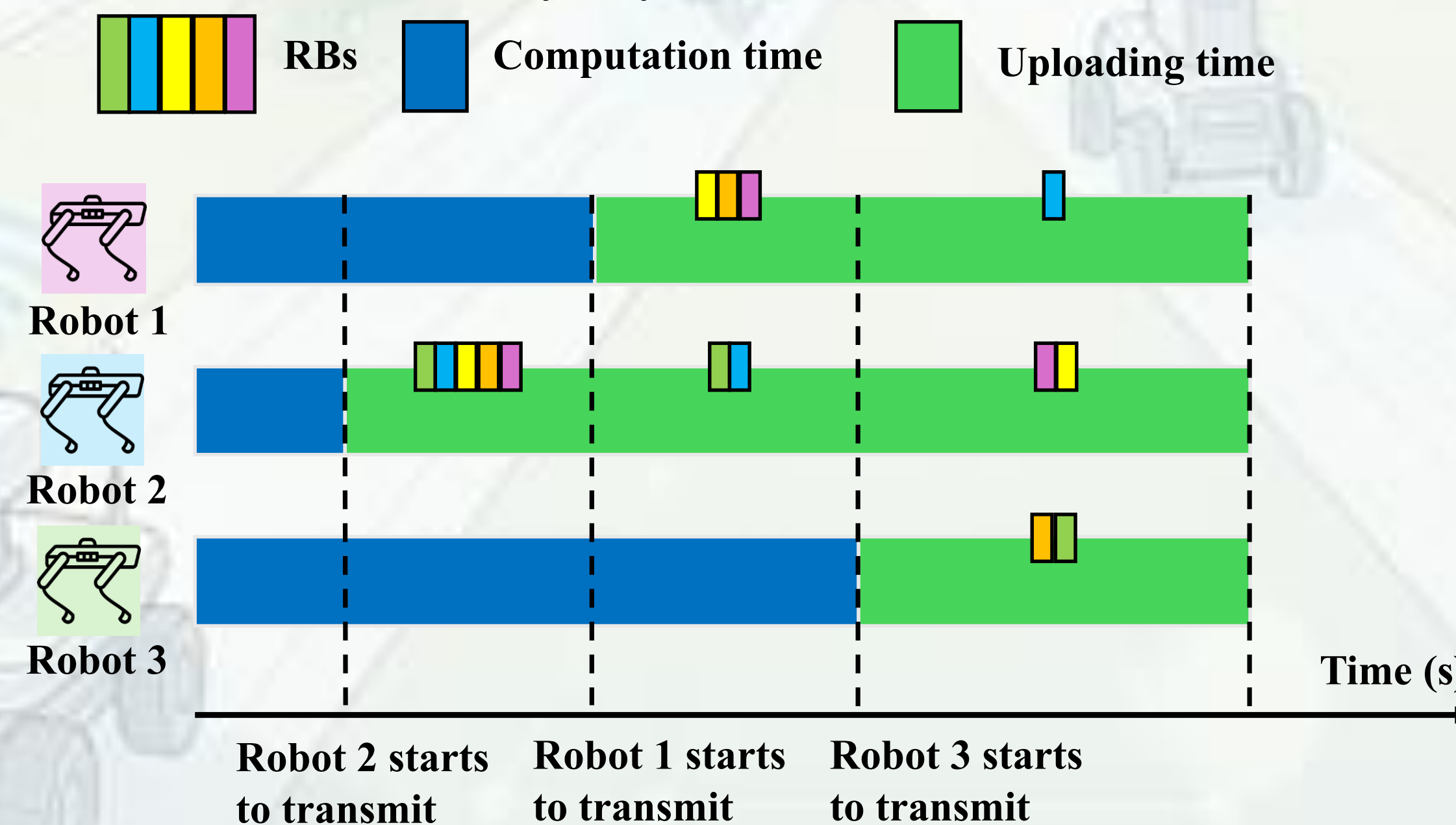
- Objective
 - Determine the optimal subset of clients to be selected in each round by selecting all clients completing their training before a cut-off time
- To improve global model accuracy, should consider gap in model-version for setting cut-off time
 - Make sure all clients complete their local models in no more than R rounds
 - Guarantee the model-version gap between a local and the global models is no greater than R
- Set cut-off time as $\Delta_{cutoff} = \max\left\{\frac{T_{gap=0}^{max}}{R}, \frac{T_{gap=1}^{max}}{R-1}, \frac{T_{gap=2}^{max}}{R-2}, \dots, T_{gap=k-1}^{max}\right\}$
 - $T_{gap=i}^{max}$ is the computation time of the slowest client with i model version gap
- Example when R = 2

Round 1	Model Ver. Gap	0	0	0	0	0	0
$\Delta_{cutoff} = \frac{10}{2} = 5$	Est. Comp. Time	1	2	3	6	8	10
Round 2	Model Ver. Gap	0	0	0	1	1	1
$\Delta_{cutoff} = \max\left\{\frac{16}{2}, 5\right\} = 8$	Est. Comp. Time	3	10	16	1	3	5
Round 3	Model Ver. Gap	0	1	1	0	0	0
$\Delta_{cutoff} = \max\left\{\frac{12}{2}, 8\right\} = 8$	Est. Comp. Time	7	2	8	7	12	10
Round 4	Model Ver. Gap	0	0	2	0	1	1
$\Delta_{cutoff} = \max\left\{\frac{10}{2}, 4\right\} = 5$	Est. Comp. Time	8	10	0	6	4	2

- When R = 2, $\Delta_{cutoff} = \max\left\{\frac{T_{gap=0}^{max}}{2}, T_{gap=1}^{max}\right\}$
- R is the Model-version gap threshold, which is a tuning parameter

WOS: Wireless Customization

- Clients start to upload immediately once they finish training
- WOS dynamically allocates RB in each TTI to minimize the maximum uploading latency among selected clients so the bandwidth can be fully exploited



- min max $T_i(\tau), T_i(\tau) = \frac{Q_i^t(\tau)}{\sum_{j=1}^M x_{i,j}^t(\tau) \gamma_{i,j}^t}$
- $Q_i^t(\tau)$ is remaining upload size, $x_{i,j}^t(\tau)$ is RB assignment, $\gamma_{i,j}^t$ is rate on RB j
- Non-linear min-max integer programming problem
- Reformulated to linearize as $\max \min_{i \in \mathcal{N}^t(\tau)} \sum_{j=1}^M \frac{\gamma_{i,j}^t(\tau)}{Q_i^t(\tau)} x_{i,j}^t(\tau)$

Publication

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